

The table shows the genders and first initials of the students in the math club.

	Name Starts with A–M	Name Starts with N–Z	TOTAL
Boy	16	8	24
Girl	14	12	26
TOTAL	30	20	50

1. Find $P(\text{Name Starts with N-Z})$

$$\frac{20}{50} = \frac{2}{5}$$

2. Find $P(\text{Girl})$

$$\frac{26}{50} = \frac{13}{25}$$

3. Find $P(\text{Boy} \cap \text{Name Starts with A-M})$

$$\frac{16}{50} = \frac{8}{25}$$

4. Find $P(\text{Girl} \cup \text{Name Starts with N-Z})$

$$\frac{26}{50} + \frac{20}{50} - \frac{12}{50} = \frac{34}{50} = \frac{17}{25}$$

5. Find $P(\text{Boy} \mid \text{Name Starts with N-Z})$

$$\frac{8}{20} = \frac{2}{5}$$

6. Find $P(\text{Name Starts with A-M} \mid \text{Girl})$

$$\frac{14}{26} = \frac{7}{13}$$

7. A mall surveyed 120 shoppers to find out if they typically wait for a sale or buy on impulse. One-fourth of those surveyed buy on impulse. 40 women wait for a sale and 20 men buy on impulse. Fill in the table completely.

	Wait for a Sale	Buy on Impulse	Total
Woman	40	10	50
Man	50	20	70
Total	90	30	120

Let M be the event that a person is man. Let S be the event that a person waits for sale.

a. Find $P(M)$

$$\frac{70}{120} = \frac{7}{12} = 0.58\bar{3}$$

b. Find $P(S)$

$$\frac{30}{120} = \frac{1}{4} = 0.25$$

c. Find $P(M \cap S)$

$$\frac{20}{120} = \frac{1}{6} = 0.1\bar{6}$$

d. Are the events independent? Why/Why not?

no $\frac{7}{12} \times \frac{1}{4} \neq \frac{1}{6}$ $0.58\bar{3} \times 0.25 \neq 0.1\bar{6}$

8. The table shows the number of Freshman and Sophomores in band and chorus.

	Band	Chorus	Total
Freshman	42	14	56
Sophomore	63	21	84
TOTAL	105	35	140

a. Find $P(\text{Sophomore})$

$$\frac{84}{140} = \frac{3}{5} = 0.6$$

b. Find $P(\text{Sophomore} \mid \text{Band})$

$$\frac{63}{105} = \frac{3}{5} = 0.6$$

b. Look at your answers to a and b. What does that mean?

They are equal. The events are independent.

9. Create a Venn diagram to represent sets A, B & U .

$$A = \{7, 9, 11, 13, 15\}$$

$$B = \{9, 12, 15\}$$

$$U = \{7, 8, 9, 10, 11, 12, 13, 14, 15\}$$

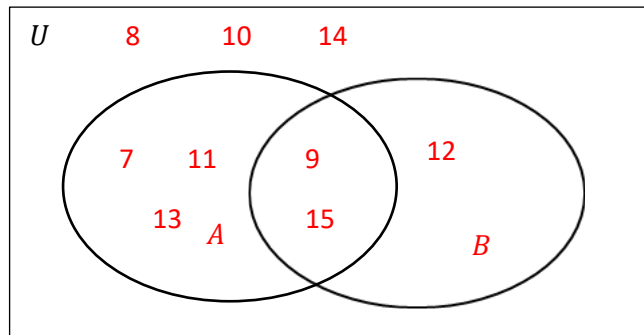
a. $P(B)$ b. $P(A \cap B)$ c. $P(A \cup B)$ d. $P(A^c)$

$$\frac{3}{9} = \frac{1}{3}$$

$$\frac{2}{9}$$

$$\frac{6}{9} = \frac{2}{3}$$

$$\frac{4}{9}$$



Your bag of M&M's contains 6 brown, 8 green, 7 orange, and 3 red. Find the probability of:

10. picking a red $\frac{3}{24} = \frac{1}{8}$

11. not picking a brown $\frac{18}{24} = \frac{3}{4}$

12. picking a orange (you hate orange and put it back) and then picking a green $\frac{7}{24} \times \frac{8}{24} = \frac{7}{72}$

13. picking a red, eating it, and then picking another red $\frac{3}{24} \times \frac{2}{23} = \frac{1}{92}$

14. Determine whether each situation requires a permutation or a combination.

A. A pizza place has 10 toppings, and 3 are chosen for the pizza.

Permutation Combination

B. Five students are lined up to take a picture.

Permutation Combination

C. A password chosen from a list of 26 letters is used to access an online account.

Permutation Combination

D. Two students are chosen as class representatives.

Permutation Combination

15. How many permutations are there in the word MISSISSIPPI?

$$\frac{11!}{2! 4! 4!} = 34650$$

16. How many possible outfits do you have if you own 5 pairs of pants, 8 shirts, and 3 pairs of shoes?

$$5 \times 8 \times 3 = 120 \text{ outfits}$$

17. Find the number of possible 5-person committees that can be formed from a group of 25 people.

$${}_{25}C_5 = \frac{25!}{5!(25-5)!} = 53,130$$

18. Find the number of possible officers (president, vice-president, secretary, treasurer, and liaison) that can be chosen from a group of 25 people.

$${}_{25}P_5 = \frac{25!}{(25-5)!} = 6,375,600$$